

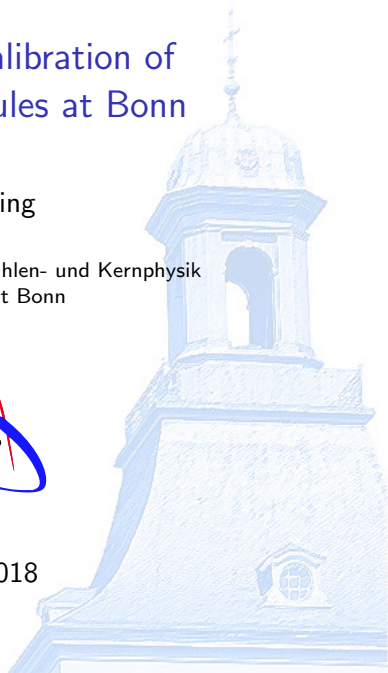
# Status of precalibration of VPTT submodules at Bonn

S. Gehring

Helmholtz-Institut für Strahlen- und Kernphysik  
der Universität Bonn



08.11.2018



Motivation

Measurements

Results

Next Steps



- Function test
- Precalibration
- Check energy range

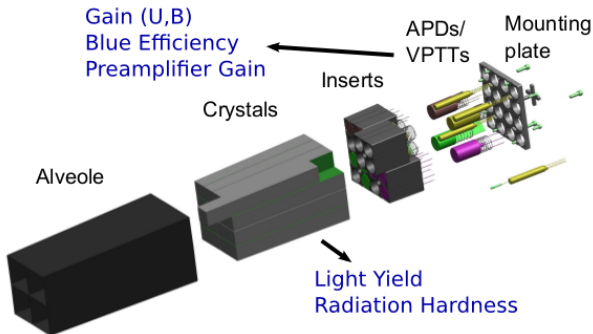
# Submodule of the Forward Endcap

Motivation

Measurements

Results

Next Steps



Matching provides us:

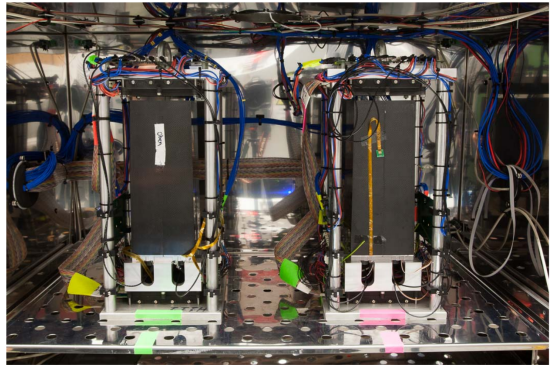
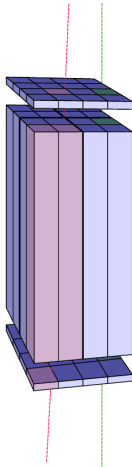
- ① Position of units in FEC
- ② Optimal HV for each compartment with 4 VPPTs
- ③ Expected quality factor  $Q_i$

Motivation

Measurements

Results

Next Steps



- Min. 72h measurement per submodule
- 4 identical Teststations (2 in 2 Chambers)
- Trigger modules with 16 channels  
→ distinguish track types



# Examples of Track Types

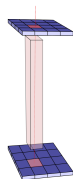
Motivation

Measurements

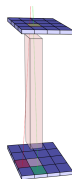
Results

Next Steps

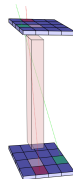
Track Type 0



Track Type 7



Track Type 4



# Examples of Track Types

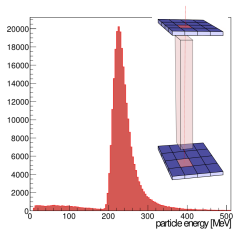
Motivation

Measurements

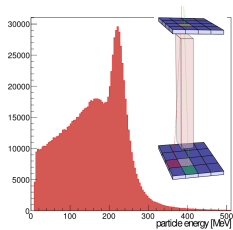
Results

Next Steps

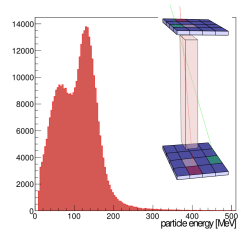
## Track Type 0



## Track Type 7



## Track Type 4



# Examples of Track Types

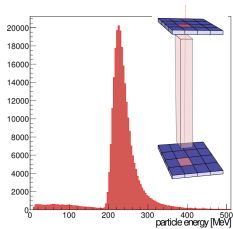
Motivation

Measurements

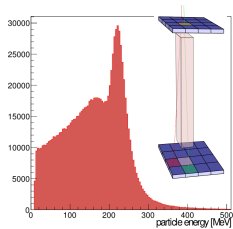
Results

Next Steps

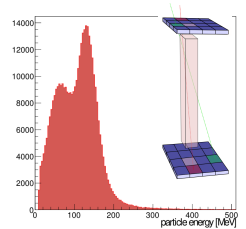
## Track Type 0



## Track Type 7



## Track Type 4

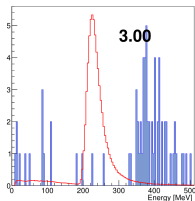


Motivation

Measurements

Results

Next Steps



$$E[\text{MeV}] = \frac{1}{c} E[\text{ADC ch}]$$

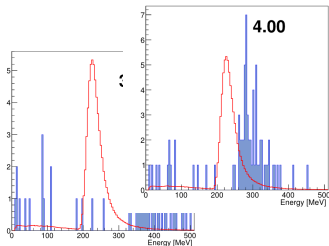
- Rescaling measured spectrum
- Calculating log likelihood sum for each step

Motivation

Measurements

Results

Next Steps



$$E[\text{MeV}] = \frac{1}{c} E[\text{ADC ch}]$$

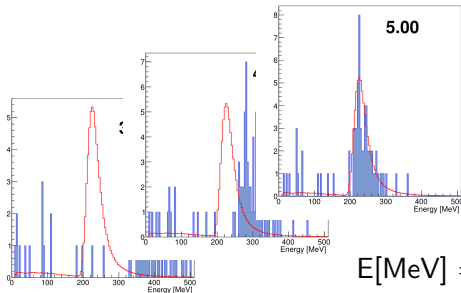
- Rescaling measured spectrum
- Calculating log likelihood sum for each step

Motivation

Measurements

Results

Next Steps



$$E[\text{MeV}] = \frac{1}{c} E[\text{ADC ch}]$$

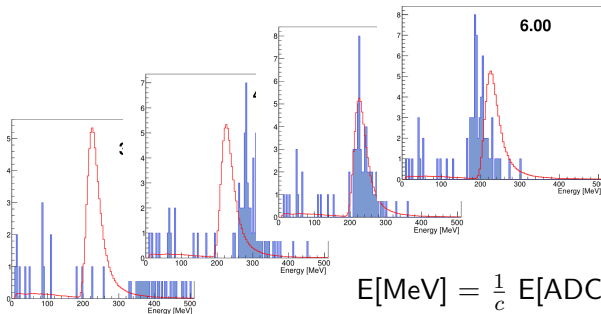
- Rescaling measured spectrum
- Calculating log likelihood sum for each step

Motivation

Measurements

Results

Next Steps



$$E[\text{MeV}] = \frac{1}{c} E[\text{ADC ch}]$$

- Rescaling measured spectrum
- Calculating log likelihood sum for each step

# Combining Measurement and Simulation

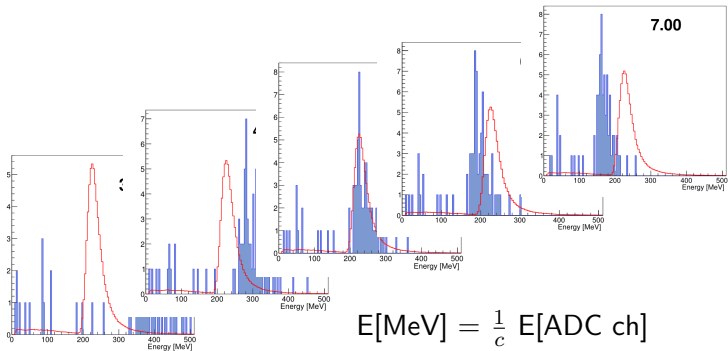
## Example Track Type 0

Motivation

Measurements

Results

Next Steps



$$E[\text{MeV}] = \frac{1}{c} E[\text{ADC ch}]$$

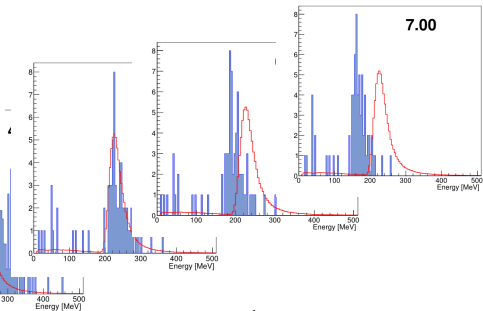
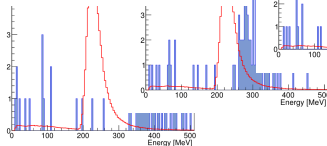
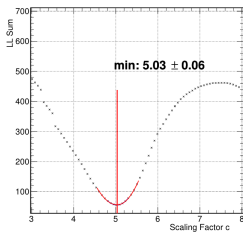
- Rescaling measured spectrum
- Calculating log likelihood sum for each step



# Combining Measurement and Simulation

LL sum in ch 5 for TT 0

## Example Track Type 0



$$E[\text{MeV}] = \frac{1}{c} E[\text{ADC ch}]$$

- Rescaling measured spectrum
- Calculating log likelihood sum for each step
- Find best agreeing scaling factor at minimum LL sum

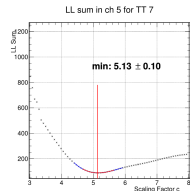
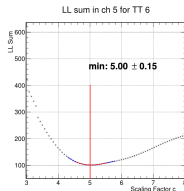
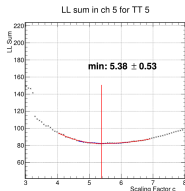
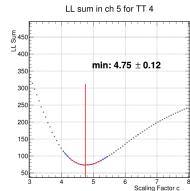
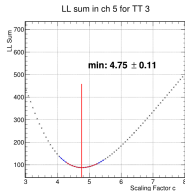
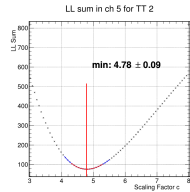
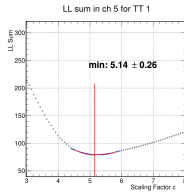
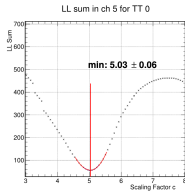
# Combining All Track Types

Motivation

Measurements

Results

Next Steps



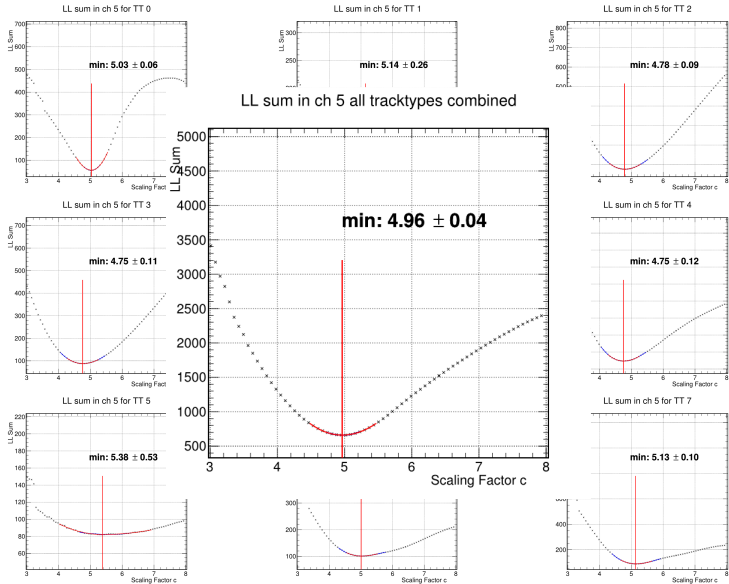
# Combining All Track Types

Motivation

Measurements

Results

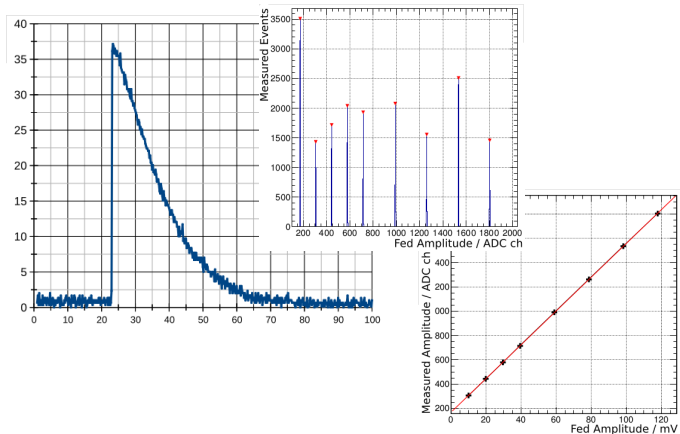
Next Steps



→ receiving scaling factor  $c_i$  from combined fit to all track

# Amplitude Correction

- Motivation
- Measurements
- Results
- Next Steps



- 1 Recorded cosmic waveform
- 2 Fed waveform into signal chain at different amplitudes
- 3 Correlated measured QDC values to known amplitude  
→ Transmission factor  $T_i$

⇒ correct gain:  $E_i = c_i \cdot \frac{\langle T_i \rangle}{T_i}$

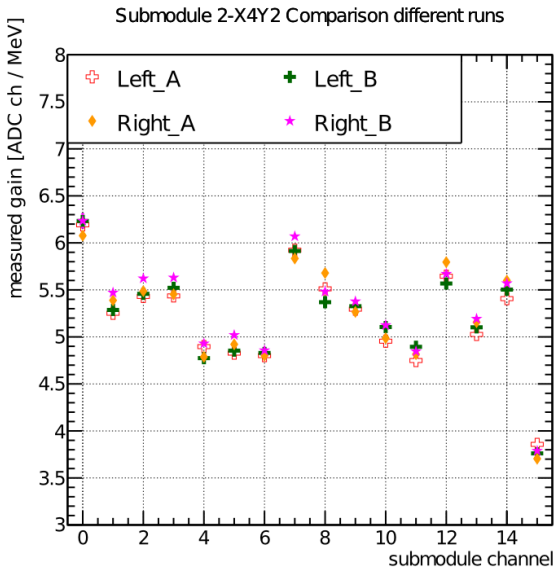
# Measurement of one Alveole with all Teststations

Motivation

Measurements

Results

Next Steps



# Comparison Scaling Factor to Quality Factor

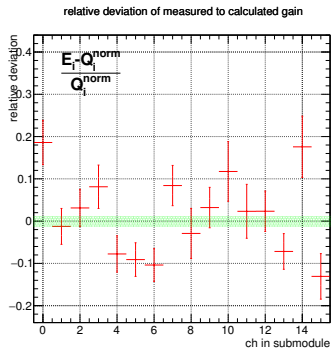
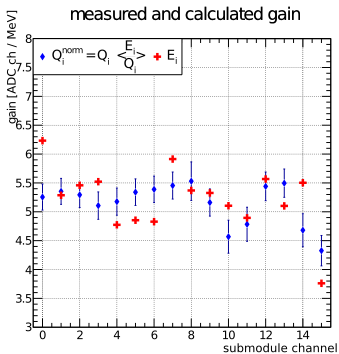
## Example 2-X4Y2

Motivation

Measurements

Results

Next Steps



# Comparison Scaling Factor to Quality Factor

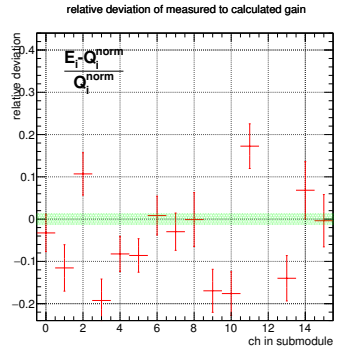
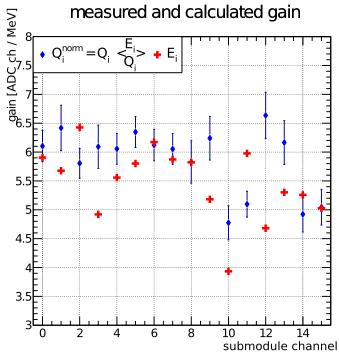
## Example 1-X1Y4

Motivation

Measurements

Results

Next Steps



# Comparison Scaling Factor to Quality Factor

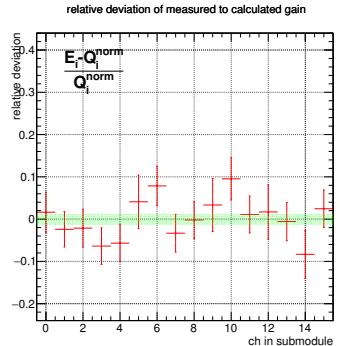
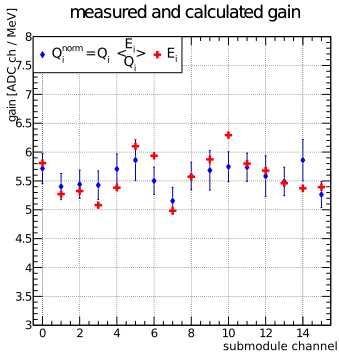
## Example 1-X2Y4

Motivation

Measurements

Results

Next Steps





Motivation

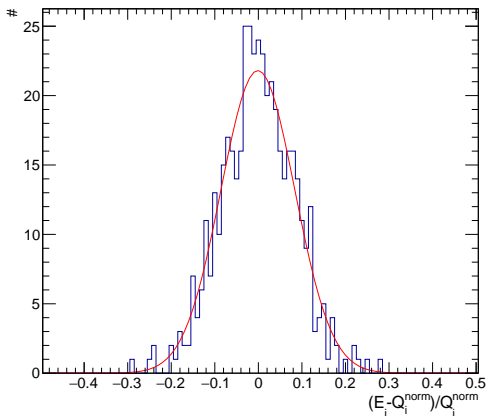
Measurements

Results

Next Steps

29 tested alveoles:

- Max deviation 30%
- Width of 8.5%



# Deviation of all Scaling Factors to Quality Factors

Motivation

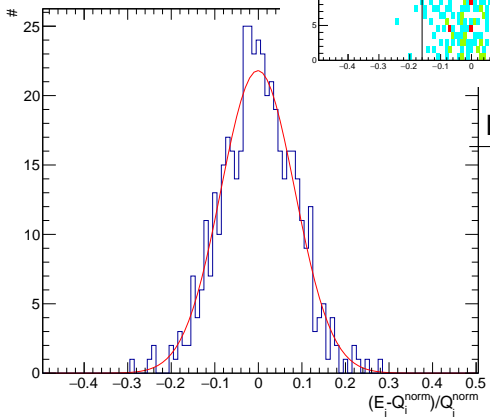
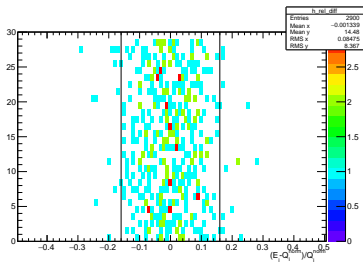
Measurements

Results

Next Steps

29 tested alveoles:

- Max deviation 30%
- Width of 8.5%



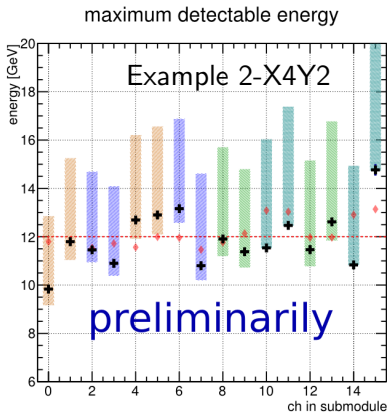
Deviation	# Alveoles
>10%	27
>16%	16
>25.5%	2

Motivation

Measurements

Results

Next Steps

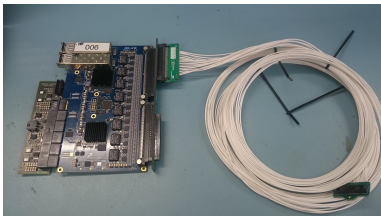


- $\bar{P}$ ANDA Requirement: detect up to 12GeV
- Dynamic range: max. 2.2V
- VPTT bias range: 750V - 1000V

Adjusting energy range by VPTT bias voltage:

- Consider: HV identical for 4 VPTTs
- Tradeoff: energy range vs. resolution
- Result: 5 units cannot reach 12GeV

Check energy range factors with  $\bar{\text{PANDA}}\text{-SADC}$   
 (→ Bachelor Theses)



Continue measurements:

- measure last 5 of 42 alveoles
- check one alveole with a dead channel
- measure 12 half alveoles

Thank you for you attention!

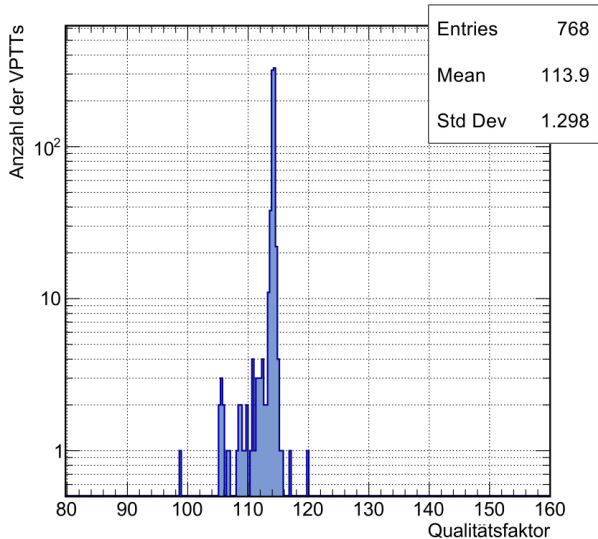


$$Q_i = G_0 \cdot G(U, B) \cdot skb \cdot PG \cdot LY$$

- $G_0$ : gain of VPTT at 1000V
- $G(U, B)$ : attenuation of VPTT gain due to reduced voltage and B-field
- $skb$ : blue efficiency of VPTT
- $PG$ : preamplifier gain
- $LY$ : crystal light yield

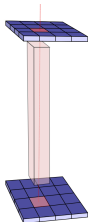
# Quality Factors from Matching

Qualitätsfaktoren bei optimaler Spannung



# Definition of all Track Types

Track Type 0



Track Type 1



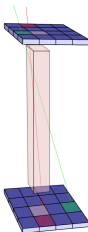
Track Type 2



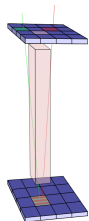
Track Type 3



Track Type 4



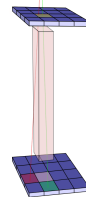
Track Type 5



Track Type 6



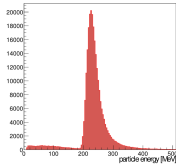
Track Type 7



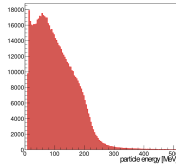


# Simulated Spectra of all Track Types

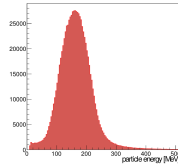
Track Type 0



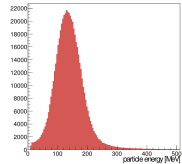
Track Type 1



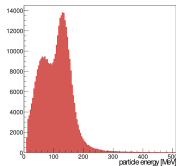
Track Type 2



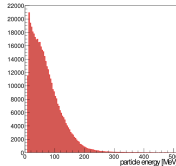
Track Type 3



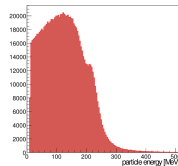
Track Type 4



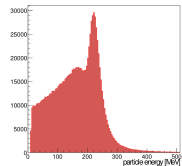
Track Type 5



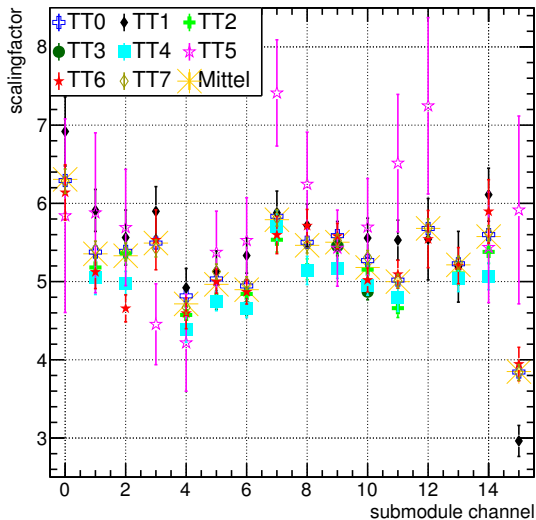
Track Type 6



Track Type 7



mean of measured gain



## Log Likelihood Methode

General likelihood that theory  $\mathbf{y}$  describes measurement  $\mathbf{n}$ :

$$L_p(\mathbf{y}, \mathbf{n}) = \prod_i \exp(-y_i) \frac{y_i^{n_i}}{n_i!}$$

Ratio for estimation of quality of fit ( $\mathbf{m}$  ideal measurement):

$$\lambda = \frac{L_p(\mathbf{y}, \mathbf{n})}{L_p(\mathbf{m}, \mathbf{n})} \approx \frac{L_p(\mathbf{y}, \mathbf{n})}{L_p(\mathbf{n}, \mathbf{n})}$$

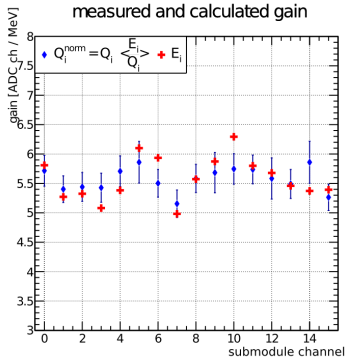
Transformation to general  $\chi^2$ :

$$\chi_L^2 = -2 \ln(\lambda) = 2 \sum_i \left( y_i - n_i + n_i \ln \left( \frac{n_i}{y_i} \right) \right)$$

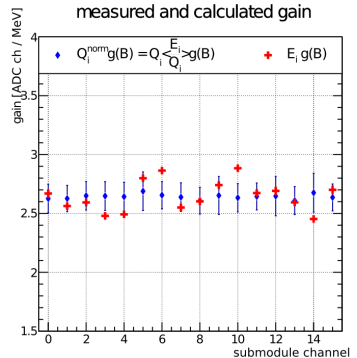
→ problem of minimising  $\chi_L^2$

# Including B-field to Quality and Scaling Factors

## Example 1-X2Y4

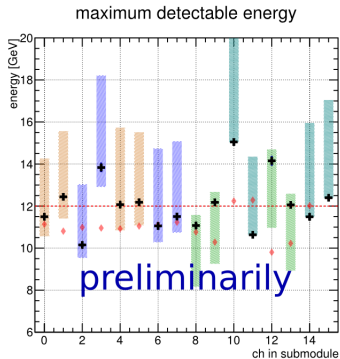


No B-field



B-field included

## Example 1-X1Y4



## Example 1-X2Y4

